

**Solving Trigonometric Equations****Part One: Finding ALL Solutions**

Recall: \_\_\_\_\_ functions are \_\_\_\_\_ therefore there are \_\_\_\_\_ many solutions, unless the \_\_\_\_\_ is \_\_\_\_\_.

ex. Find \_\_\_\_\_ solutions of \_\_\_\_\_.

First, find the \_\_\_\_\_ angle:

Since \_\_\_\_\_ is \_\_\_\_\_, and \_\_\_\_\_ is \_\_\_\_\_ in \_\_\_\_\_, there will be solutions in \_\_\_\_\_.

Consideration: if there is NO \_\_\_\_\_, angles can be expressed in either \_\_\_\_\_ or \_\_\_\_\_.

QI solution: \_\_\_\_\_ every \_\_\_\_\_ that is \_\_\_\_\_ to \_\_\_\_\_ is also a \_\_\_\_\_

QII solution:

ex. Find \_\_\_\_\_ solutions of \_\_\_\_\_.

First, find the \_\_\_\_\_ angle:

Since \_\_\_\_\_ is \_\_\_\_\_ in \_\_\_\_\_,

there will be solutions in \_\_\_\_\_.

Do: Find \_\_\_\_\_ solutions of \_\_\_\_\_.

First, find the \_\_\_\_\_ angle:

\_\_\_\_\_ is \_\_\_\_\_ in \_\_\_\_\_

ex. Solve the equation \_\_\_\_\_.

### Part Two: Finding Solutions When There Is a Restricted Domain

ex. Find the solutions of \_\_\_\_\_ on \_\_\_\_\_.

Use solutions from previous example:

\_\_\_\_\_ domain is in \_\_\_\_\_ therefore express \_\_\_\_\_ in \_\_\_\_\_.

ex. Find the solutions of \_\_\_\_\_ on \_\_\_\_\_.

Use solutions from previous example:

ex. Solve \_\_\_\_\_ on \_\_\_\_\_.

ex. Solve \_\_\_\_\_ on \_\_\_\_\_.      let  $u =$

ex. Solve \_\_\_\_\_ on \_\_\_\_\_.      let  $u =$

ex. Solve \_\_\_\_\_ on \_\_\_\_\_.

ex. Solve \_\_\_\_\_ on \_\_\_\_\_.

**Using Reciprocals**

ex. Solve \_\_\_\_\_ on \_\_\_\_\_.

**Solutions in ALL Quadrants**

ex. Solve \_\_\_\_\_ on \_\_\_\_\_.